

Core Power Distribution Sensitivity

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I. Introduction

i. Context / Problem

My thesis subject : “*Uncertainties characterization methods on industrial core calculation chain*”

Current validated chain by:

- Benchmark
- Experiments
- Segments of accidents
- Industrial measurements

Possibility to use current chain to predict behavior of new reactors:

- But less experience, less available data.. → **Important to benchmark**

New reactors design tends to:

- More burnable poison
- Higher enrichment
- Different size scale
- Different reflector conception

Need: To access well uncertainty on Power Distribution → Safety margins

Tools:

- Uncertainty & Sensitivity
- Core calculation chain (Deterministic code)
- Monte Carlo codes → As for example: **SERPENT**

Sensitivity capability :
GPT/IFP (*Generalized Perturbation Theory/ Iterated Fission Probability*)

I.ii. Objective

Sensitivity & Uncertainty equations

$$S_{\lambda}^R = \frac{\partial R / R}{\partial \lambda / \lambda}$$

$$Unc. = SM_{\sigma} S^T$$

Adjoint-weighted (via Iterated Fission Probability) Partial derivatives of the reaction rates

Step 1

DN
« raw »

SENS (GPT/IFP)

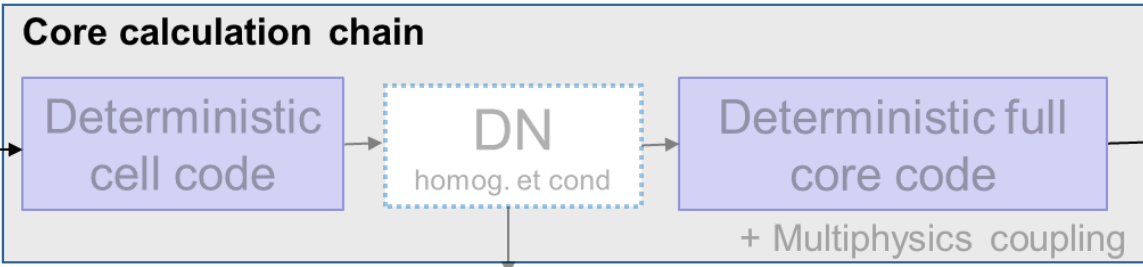
MC Code

Uncertainty

MCOV (44group)

Keff
Power Distribution

Step 2

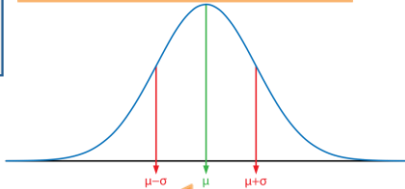


Uncertainty

DN
« raw »

MCOV (99group)

MCOV (2group)



Random Sampling
Thousands of calculations

SENS (Total MC)

Parameter
Distribution

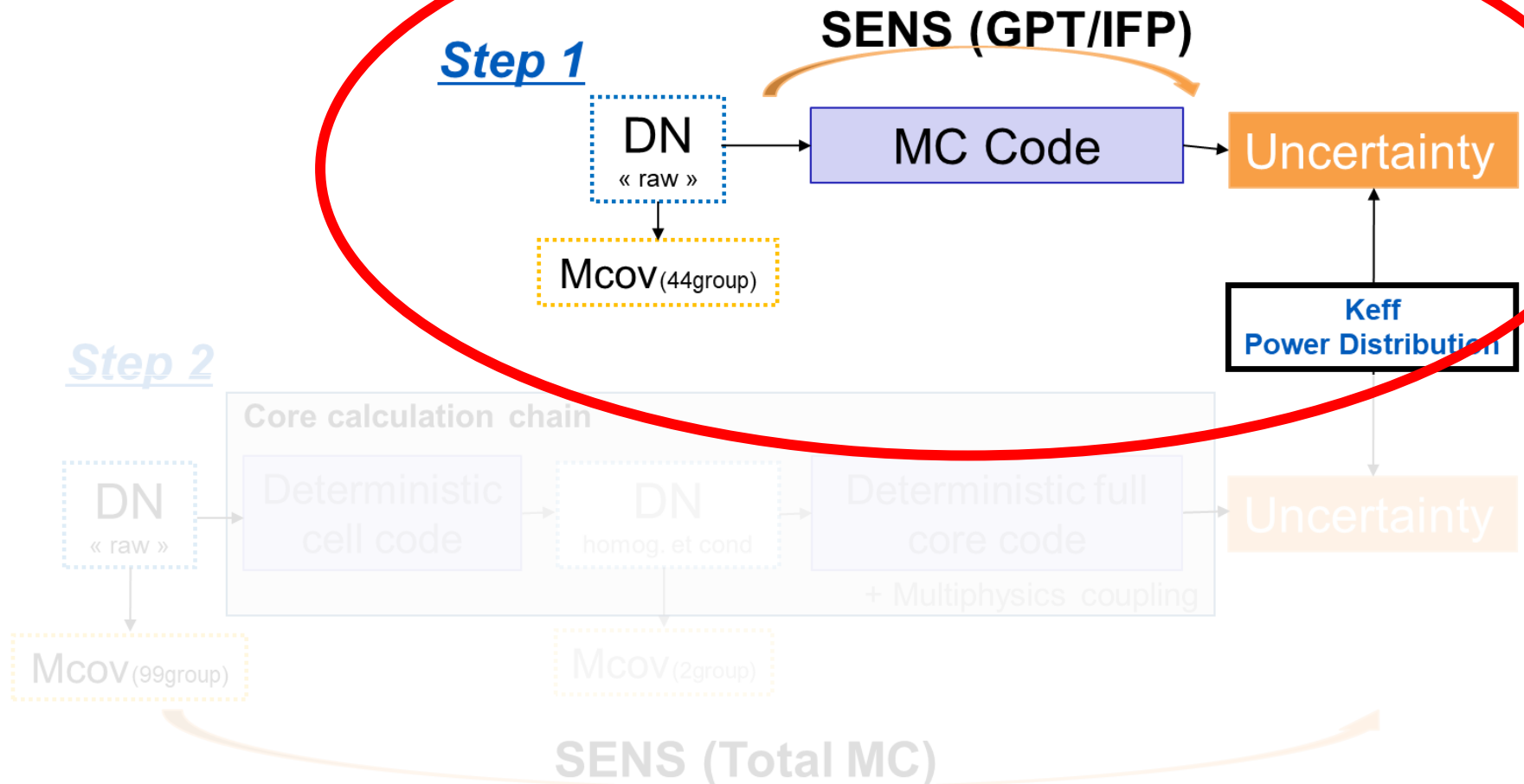
I.ii. Objective

Sensitivity & Uncertainty equations

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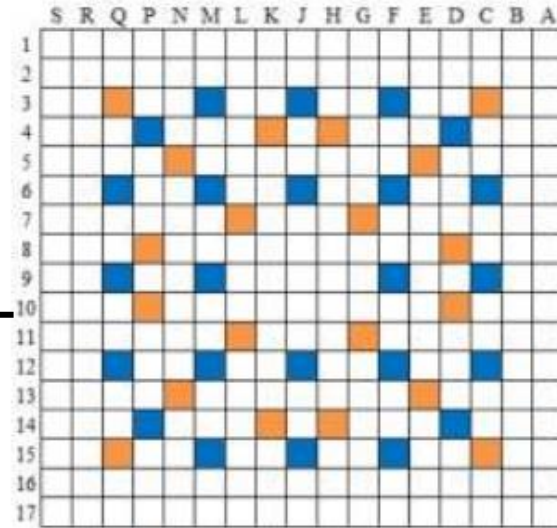
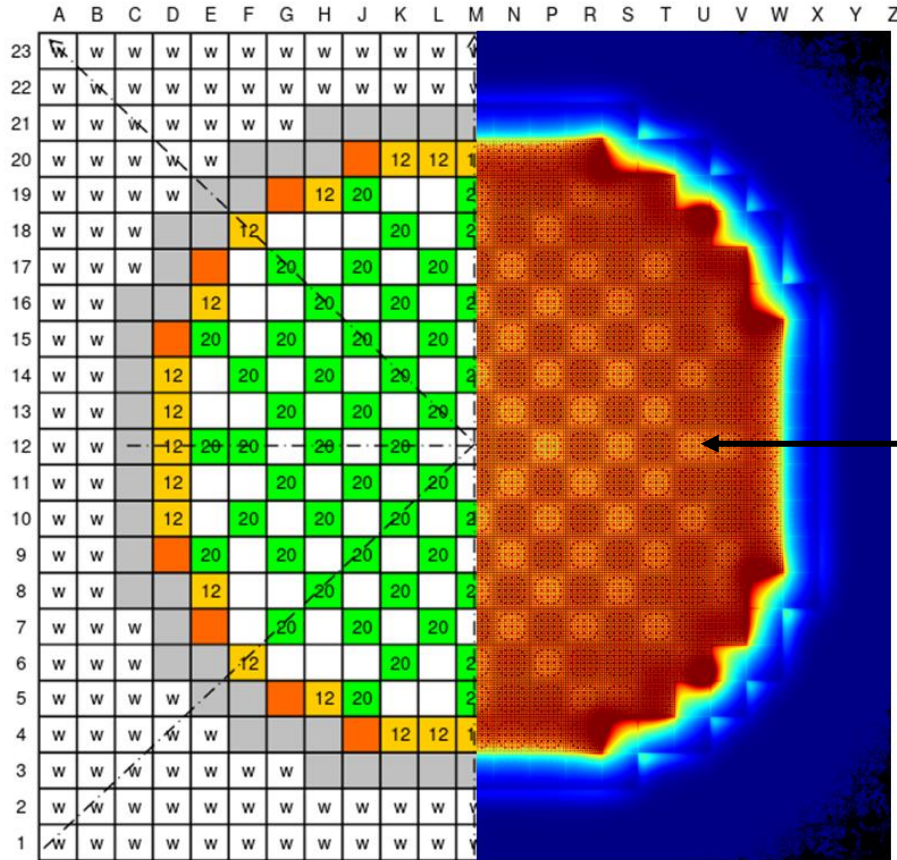
Preliminary Results Benchmark UAM/LWR
GEN-III of Step 1 with SERPENT2



I.iii. BENCHMARK UAM/GEN III UOX

Core layout

- Large core
- Heavy reflector
- High poison concentration
- Intercalated Gd pattern (chessboard-like)
- 4 types of assemblies
- Power peak at the boundaries



Type 3: UOX 3.2% ^{235}U assembly with 20 $\text{UO}_2\text{-Gd}_2\text{O}_3$ (1.9% ^{235}U) rods

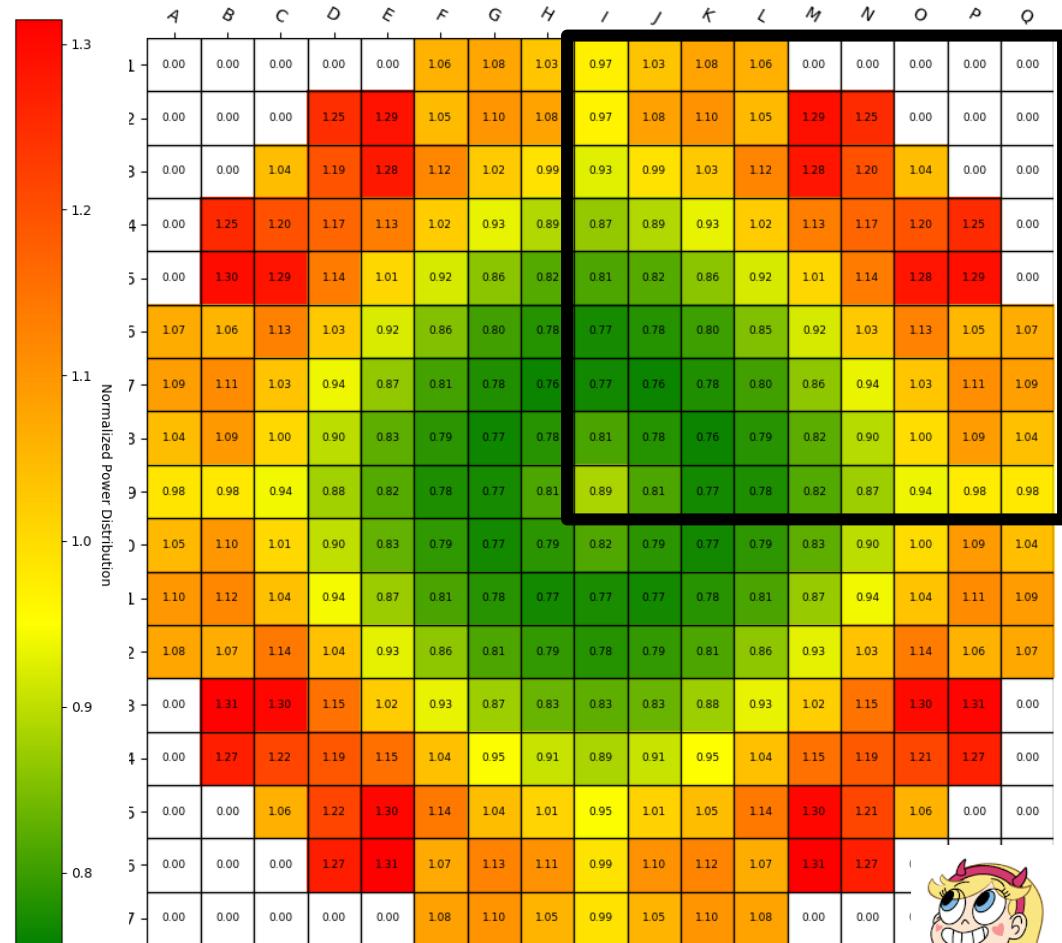
- UOX 2.1% ^{235}U assembly
- UOX 4.2% ^{235}U assembly
- UOX 3.2% ^{235}U assembly with 20 $\text{UO}_2\text{-Gd}_2\text{O}_3$ rods

- UOX 4.2% ^{235}U assembly with 12 $\text{UO}_2\text{-Gd}_2\text{O}_3$ rods
- Stainless steel reflector assembly
- Borated water reflector assembly

II. Preliminary Results i. Normalized Power Distribution

Comparison with others participants results

- Same shape
- Similar values



• **SERPENT2 MC code**



(Our results)

(Participant 1)



• **Deterministic code**

Maximum difference in central assembly 6,7%



• **MC code multigroup**

Maximum difference in central assembly 4,7%



(Participant 2)

II.ii. Uncertainty of Power Distribution

Comparison with others participants results

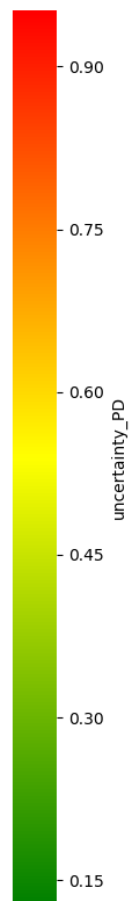
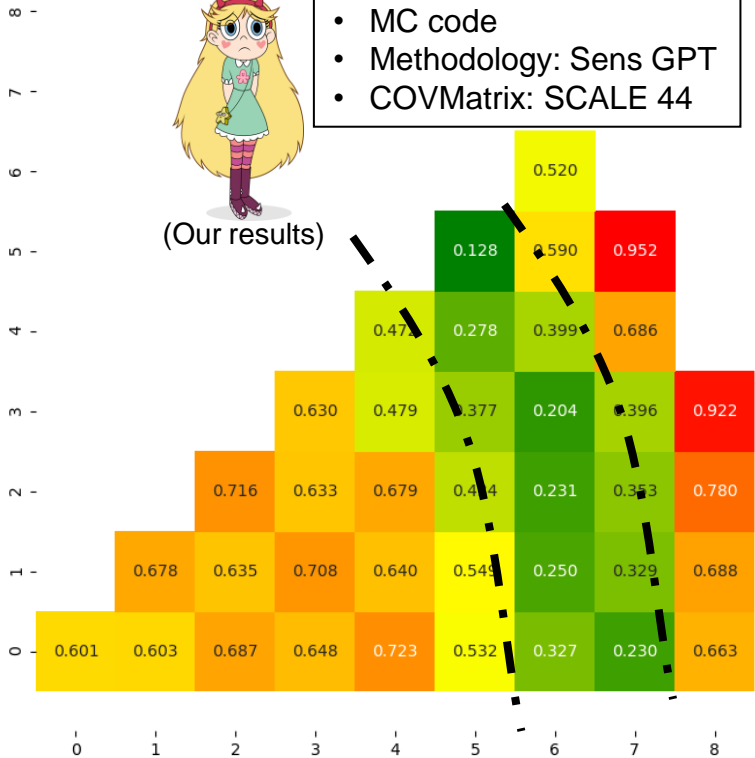
$$Unc. = SM_{\sigma}S^T$$

- Same shape
- but.... Values difference **X10..**
 - Convergence?
 - Multigroup calculations?
 - Anisotropy treatment?



- MC code
- Methodology: Sens GPT
- COVMatrix: SCALE 44

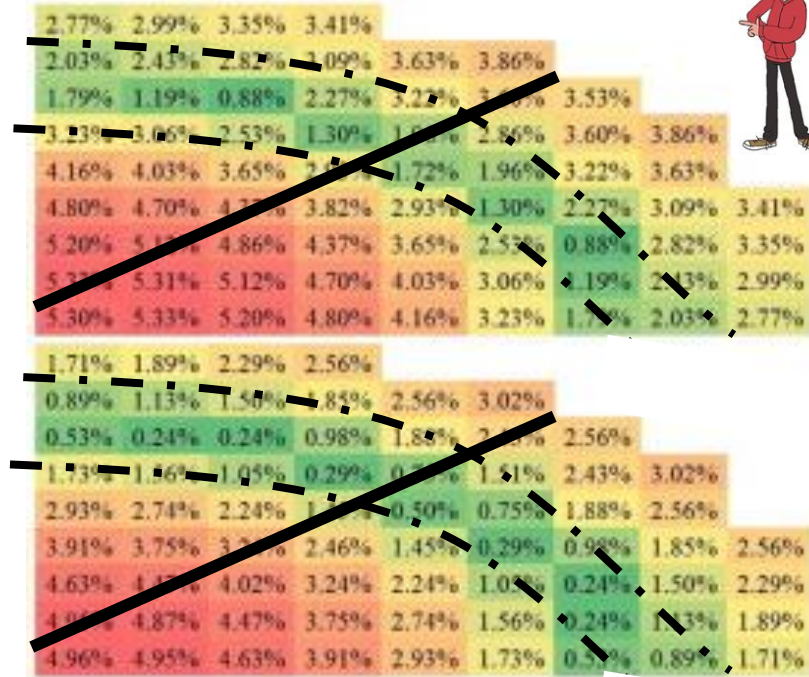
(Our results)



Minimum Uncertainty where the power is normalized to 1

- Deterministic code
- Methodology: Sens GPT
- COVMatrix: COMAC

(Participant 1)



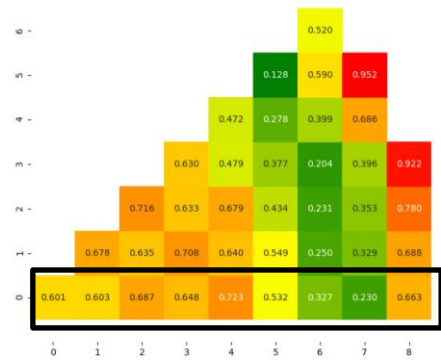
- MC Code multigroup
- Methodology: Total MC
- COVMatrix: SCALE 56



(Participant 2)

II.ii. Main contributions to the uncertainty of Power Distribution

- Importance of Diffusion reactions
- The Ela O16 et Inl U8 are the **dominant uncertainties** according to the Participant_1



1	2	3	4	5	6	7	8	9	Max Power	Keff
Capt U8	Ela H1	Ela H1	Ela H1	Ela H1	Ela H1	Ela H1	Fis U8	Fis U8	Ela H1	Capt U8
Ela H1	Capt U8	Fis U8	Fis U8	Capt U8	Capt U8	Inl U8	Capt U8	Capt U8	Capt U8	Ela H1
Fis U8	Capt U5	Capt U5	Capt U8	Inl U8	Capt U5	Ela O16	Fis U5	Capt U5	Capt U5	Fis U5
Capt U5	Fis U5	Inl U8	Capt U5	Ela O16	Inl U8	Capt U5	Capt U5	Fis U8	Inl U8	Capt U5

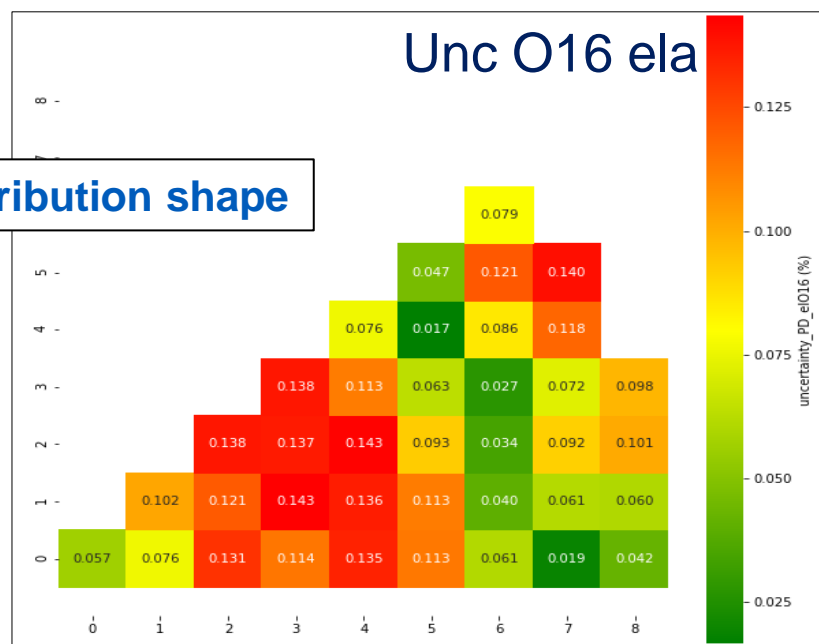
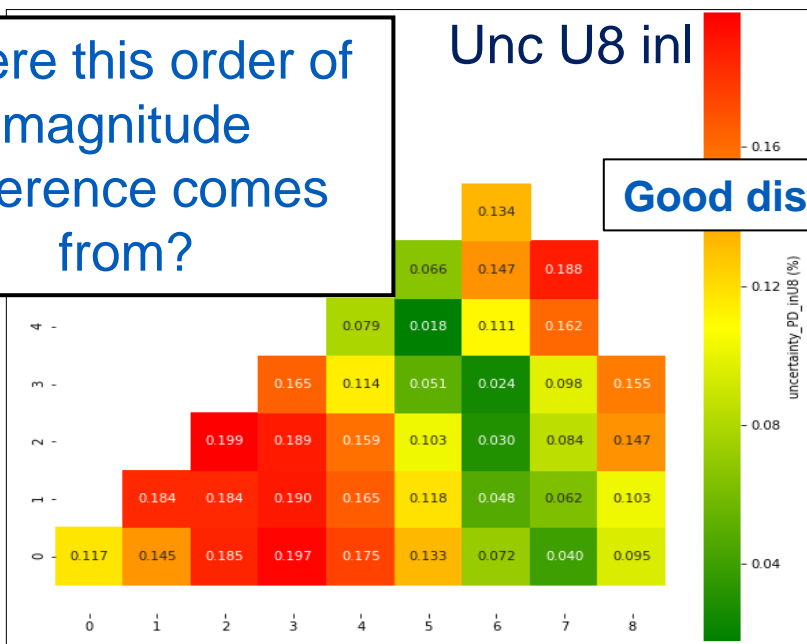
II.i Sensitivity of Power Distribution

Where this order of magnitude difference comes from?

Unc U8 inl

Good distribution shape

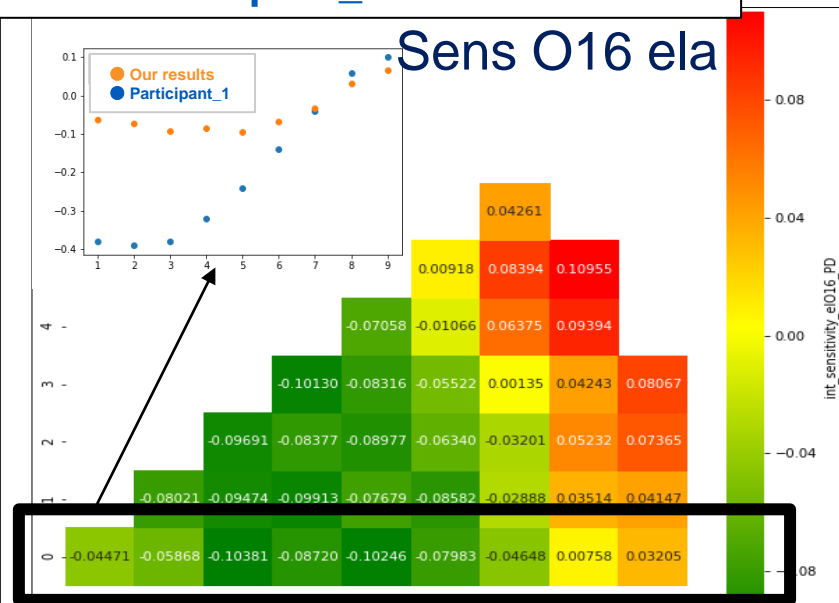
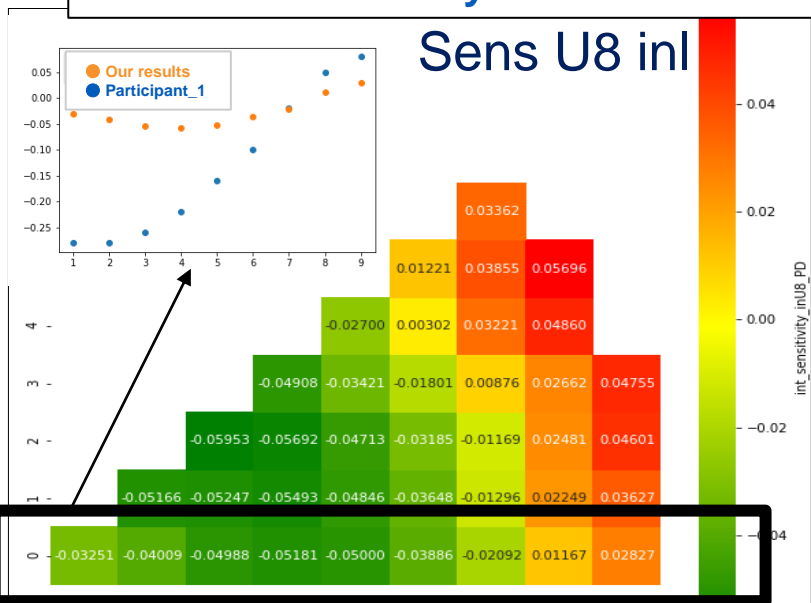
Unc O16 ela



Different Sensitivity distribution between Participant_1 and our results

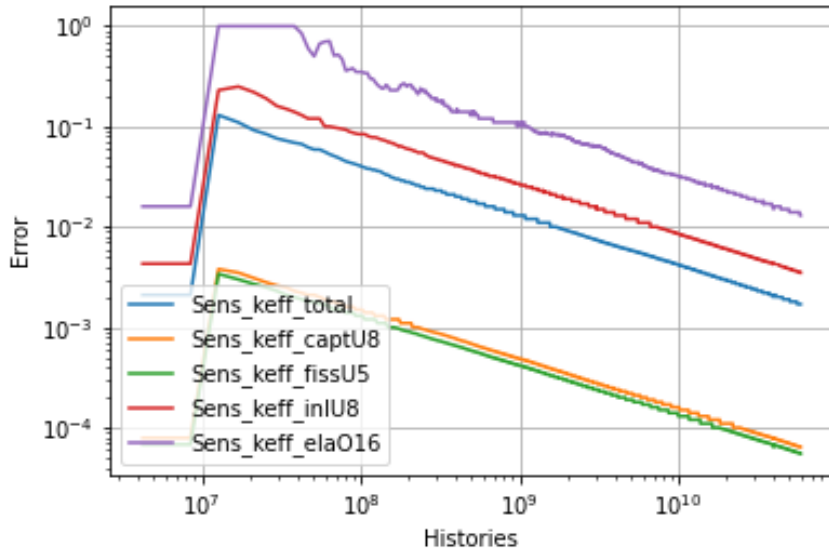
Sens U8 inl

Sens O16 ela

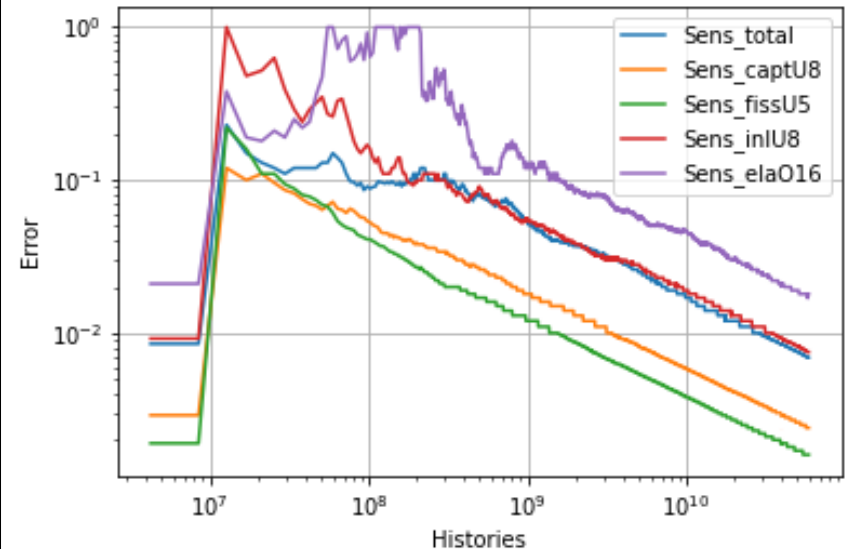


II.ii. Sensitivity Convergence - Keff and Power Distribution

Global Parameter - Keff



Local Parameter – Assembly Power



→ Sensitivity convergence of diffusion reactions difficult for MC et Deterministic codes

- MC : Calculations 1 month → 15 - 20 days → 5 days → ? (OMP 48)

– Already “analyzed/optimized” :

`set opti <mode>`

`set memfrac FRAC`

`BTCH` : batching interval

`sens opt latgen` NGEN

`set ifp` GEN

`set usym` UNI AX BC X0 Y0 θ0 θw [OPT]

– Have to improve : MPI, save converged fission source, power modes convergence..

- Deterministic : Multigroup calculation (self-shielding), anisotropy treatment

III. Perspectives

- Understand the order of magnitude difference between our results and others participants
 - Suggestions?
- Improve Convergence
 - MPI
 - save converged fission source
 - Power modes convergence (Iterated Fission Matrix)
- Multigroup XS → not implemented in SERPENT
 - Test MCNP multigroup XS for a pin 40000 pcm of difference for Keff
- Perform this calculations with EDF reference codes → Power Distribution Sensitivity capabilities not yet implemented
- Power Distribution Sensitivity due to Reflector “Composition” (% cooling water, H1 scattering..etc)

**Thank you for your attention.
Questions? / Suggestions?**